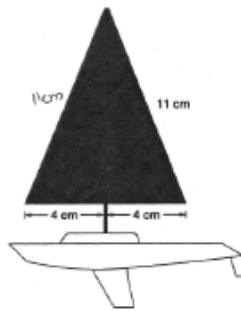


Toy Sailboats

Emelina makes toy sailboats as shown below.



$$c^2 = c^2 - b^2$$

$$a^2 = 11^2 - 4^2$$

$$a^2 = 121 - 16$$

$$a^2 = 105$$

$$a = 10$$

Determine the total area of the shaded sails.

Show your work.

$$\frac{1}{2}bh + \frac{1}{2}bh$$

$$\frac{1}{2}(10) + \frac{1}{2}(10)$$

$$\frac{10}{2} + \frac{10}{2}$$

$$20 + 20$$

$$40 \text{ cm}^2$$

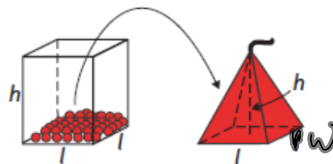
The total area of the shaded sails is 40 cm²

Annotation:
 Student demonstrates a thorough understanding of the concepts; provides calculation for height that applies the Pythagorean Theorem correctly and uses this value accurately to determine required area.

8.5 - Volume of Pyramids and Cones

The volume of a pyramid is 1/3 the volume of a prism with an identical base and height.

http://download.elearningontario.ca/repository/1107210000/MPM1DCU05A05/mme/U5A5_volume_of_pyramids_cones_and_spheres/VolumeOfPyramidsAndCones.html



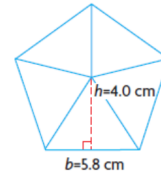
The formula for the volume of a pyramid is $V = \frac{1}{3} Ah$, where A is the area of its base and h is the height.

$$V_{\text{pyramid}} = (A_{\text{base}} \times h) \div 3$$

$$V_{\text{prism}} = A_{\text{base}} \times h$$

Example One

Calculate the volume of a pyramid with the height of 8.1 cm and the base dimensions as shown.



$$V_{\text{pyramid}} = (A_{\text{base}} \times h) \div 3$$

1. Calculate area of base

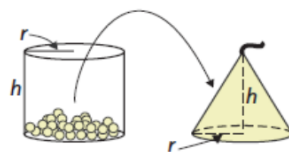
$$\begin{aligned} A &= [(b \times h) \div 2] \times 5 \\ &= [(5.8 \times 4) \div 2] \times 5 \\ &= 58 \text{ cm}^2 \end{aligned}$$

2. Calculate volume of pyramid

$$\begin{aligned} V &= (A_{\text{base}} \times h) \div 3 \\ &= (58 \times 8.1) \div 3 \\ &= 156.6 \text{ cm}^3 \end{aligned}$$

The volume of a cone is $\frac{1}{3}$ the volume of a cylinder with an identical base and height.

http://download.elearningontario.ca/repository/1107210000/MPM1DCU05A05/mme/U5A5_volume_of_pyramids_cones_and_spheres/VolumeOfPyramidsAndCones.html



The formula for the volume of a cone is $V = \frac{1}{3} \pi r^2 h$ where r is the radius of its base and h is its height.

$$V_{\text{cone}} = (\pi r^2 h) \div 3$$

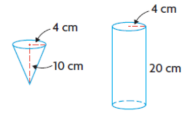
$$V_{\text{cylinder}} = (\pi r^2 h)$$

Example Two

A conical paper cup has a radius of 4 cm and a height of 10 cm. A cylindrical glass has a radius of 4 cm and a height of 20 cm. How many times do you need to fill the paper cup and pour it into the glass to fill the glass?

1. Volume of a Cone

$$\begin{aligned} V &= (\pi r^2 h) \div 3 \\ &= (\pi 4^2 10) \div 3 \\ &= 167.5 \text{ cm}^3 \end{aligned}$$

2. Volume of a Cylinder

$$\begin{aligned} V &= \pi r^2 h \\ &= \pi (4)^2 20 \\ &= 1005.3 \text{ cm}^3 \end{aligned}$$

3. Number of Cones

$$\begin{aligned} \# \text{ of cones} &= V_{\text{cylinder}} \div V_{\text{cone}} \\ &= 1005.3 \div 167.5 \\ &= 6 \text{ cones} \end{aligned}$$

Complete: p. 464 - 465 #1 - 3, 6, 7.